

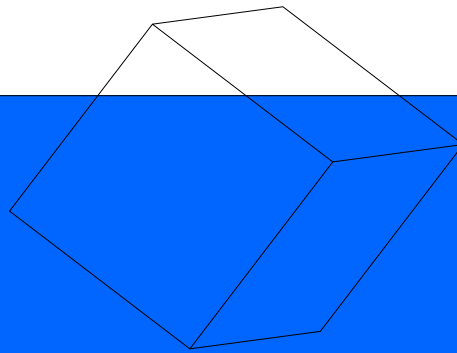
# On White-Box Cryptography

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disclaimer

this talk

industrial  
secrecy



# The Uneasy Relationship between White-Box Cryptography and the Security w/o Obscurity Principle

## outline

- ① **White-Box Cryptography**
  - informal definitions, related notions
  - seminal WB-AES implementation [Chow et al. 02]
- ② **Cryptanalytic toolbox for WB-AES and sisters**
  - attacks on WB implementations based on networks of lookup tables
- ③ **Alternative approaches and perspectives**
  - can WB cryptography and security w/o obscurity be reconciliated?

## White-Box Cryptography in a nutshell (1/2)

- **aim of White-Box Crypto (WBC)**
  - protect [software implem.](#) of crypto from full access attacks by [insiders](#)
  - «prevent the [extraction of secret keys](#) from the program » [CEJO02]
- **cryptography as usual does not address this**
  - keys and algorithms are assumed to reside in a [trusted module](#)
  - protect keys and information from [outsiders' attacks](#)
- **examples of applications of WBC**
  - protection of «Internet distribution of e-books, music and video » (DRM, e-services) against insiders, including « legitimate users »
  - potentially: protection of [software only deployments of crypto](#) against insiders, e.g. [malwares](#), [system intruders](#), etc.



## white-box cryptography (WBC) in a nutshell (2/2)

- **in their seminal papers [CEJO02-aes/des]**

Chow, Eisen, Johnson, and van Oorschot introduce two notions

  - **WB attack context:** «full visibility into software implem. and execution»
  - **WB implementation:** obfuscated description of a keyed instance of the cipher

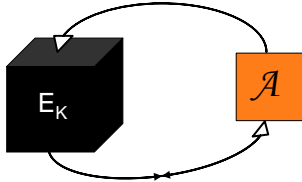
and specify WB implementations of AES and DES

  - **WB-AES** [CEJO02-aes]
  - **WB-DES** [CEJO02-des]
- **this part outlines**
  - **2 security models** for WB crypto: **weak WB** and **strong WB**
  - the **WB-AES** implementation of [CEJO02-aes]

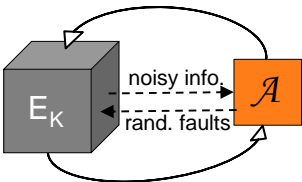
this talk exclusively addresses [WB implementations of block ciphers](#)

## WB model / adversaries' resources

### Black Box

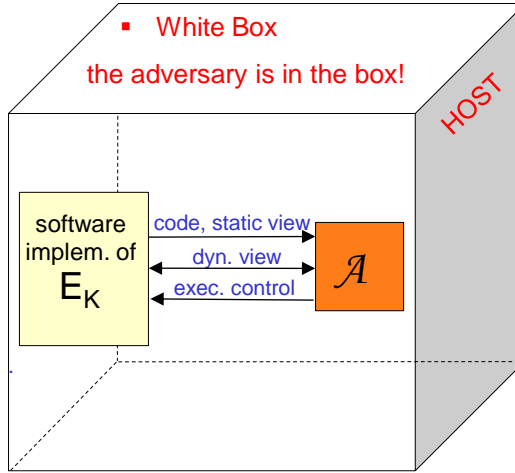


### Grey Box



### White Box

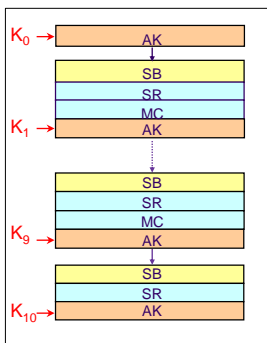
the adversary is in the box!



« choice of implementation is the sole remaining line of defense » [Chow et al. 02]

## White-Box implementation $WB(E_K)$

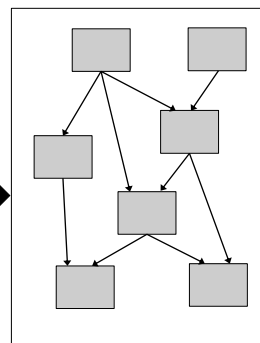
keyed instance  $E_K$



intelligible representation of  $E_K$

e.g. the value of  $K$

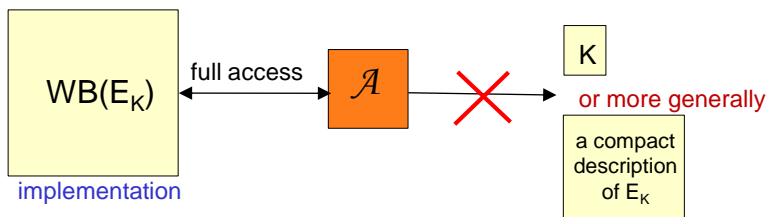
implementation  $WB(E_K)$



obfuscated representation / program for  $E_K$

## adversaries' objectives: weak WB security

- **weak white-box security (WWB)** captures the requirements of [CEJO02]



**informal definition:**  $(T, S)$ -incompressible implementation of  $E_K$ .

an adversary with full access to  $WB(E_K)$  must be unable to derive an equivalent\* representation of  $E_K$  of size lower than  $S$  in time  $T$ . \*\*

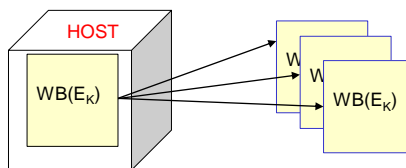
\* **probabilistic variant:** equivalent on a non-negligible fraction  $p$  of inputs

\*\* if we drop the requirement that  $E_K$  must possess a short key, weak WB may become much easier to achieve by using a block cipher  $E_K$  without compact description

## discussion: code lifting

- **WWB does not prevent code lifting**

i.e. the extraction / duplication / execution of  $WB(E_K)$



- **however code lifting**

- can be a lesser threat than key extraction due to the size of  $WB(E_K)$  - typically MBytes
  - can potentially be thwarted by complementary techniques not detailed here, e.g.
    - **marking techniques** for rendering  $WB(E_K)$  traceable
    - « **node locking** » e.g. using equipment identifier as part of  $WB(E_K)$
    - **blurring the boundary** between the  $WB(E_K)$  code for  $E_K$  and other parts of the code
- external encodings i.e. replacing  $WB(E_K)$  by  $WB(G \circ E_K \circ F)$  could facilitate this

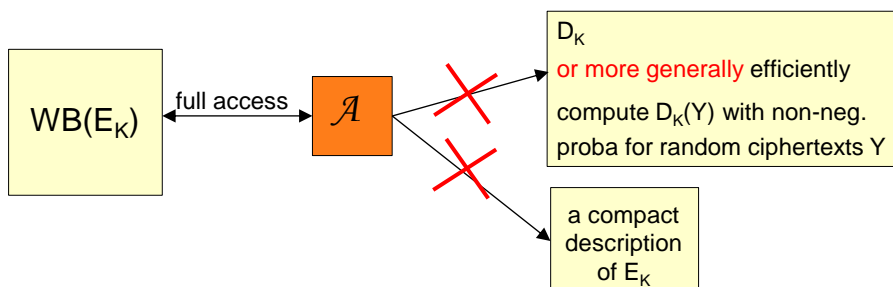
- **conclusion on WWB:** not a fully selfstanding notion but seems relevant in practice

## adversaries' objectives: strong WB security

- **strong white-box security (SWB)**

~ resistance to plaintext recovery\* + incompressibility of  $WB(E_K)$

\* this requirement was included in formalisation efforts such as [SWP08, DLPR13]



- this implies that  $(P, S) = (WB(E_K), D_K)$  is a public key encryption scheme
- of course SWB does not prevent code lifting that remains a major practical issue

## related notion: program obfuscation

whose extensive study was launched by the seminal paper of [Barak et al. 01]

$P \xrightarrow{\mathcal{O}} \mathcal{O}(P)$

- same functionality as  $P$
- **virtual black box property**: ultimately aims at ensuring that « anything that can be efficiently computed from  $\mathcal{O}(P)$ , one could also compute given oracle access to  $P$  » [B+01]

suggests by analogy:

$K \xrightarrow[\text{compiler}]{WB} WB(E_K)$

- same functionality as  $E_K$
- **white-box property** [SWP08]: ultimately something like « any attack that can be achieved from full access to  $WB(E_K)$  one could also achieve given oracle access to  $E_K$  »

- known impossibility results on obfuscation give **no evidence that SWB is unimplementable**
- [SWP08] and [DLPR13] give some evidence that **WB is implementable for specific sym. cipher examples based on PK schemes** [under some security definitions and assumptions]

## digression: hypothetic extended WB features (1/2)

- **traceable WB** (could help thwarting code lifting)

~ an identifier ID – e.g. the owner's id – is embedded in  $WB(E_K)$  by the compiler

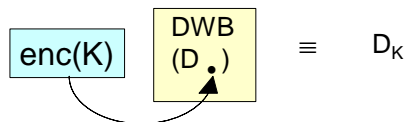
ID must be recoverable by the compiler from any equivalent representation of  $WB_{ID}(E_K)$   
 an adversary can produce

- **weak flavour:** for a given key K the compiler produces **one single implem.**  $WB_{ID}(E_K)$
- **strong flavour (traceable block cipher)**
  - for a given key K the compiler produces **several implementations**  $WB_{ID[ij]}(E_K)$
  - the scheme must **resist collusion attacks**

## digression: hypothetic extended WB features (1/2)

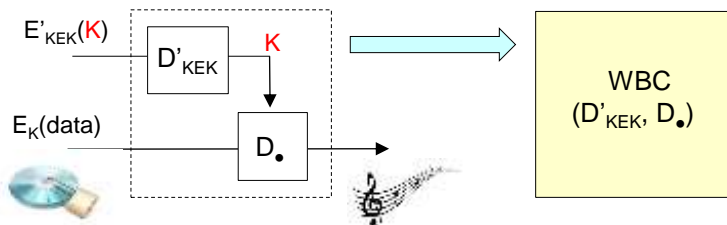
- **dynamic WB** (could help using WB with session keys)

~ non-instantiated WB implem. of  $(D_K)$  or  $(E_K)$  parametrized by an encoded key



- **WB composition** (could help preventing content key leakage in DRM)

~ implement **composition of crypto functions** as not to leak intermediate values,  
 e.g. content / payload decryption key K in DRM application

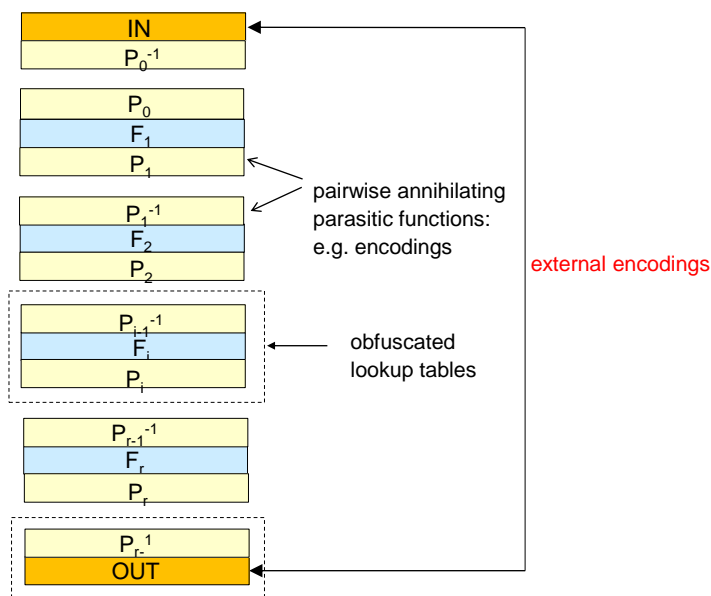


## obfuscation method for WB- AES (sketch)

to get a WB implementation of a keyed block cipher instance  $E_K$

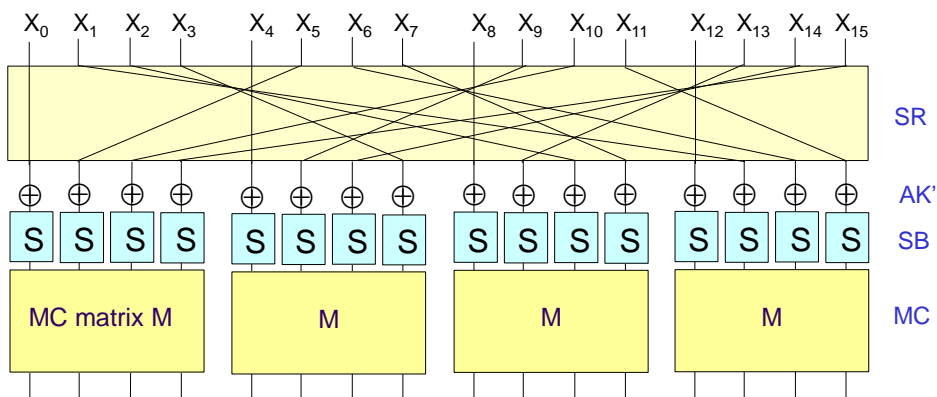
- **decompose  $E_K$  into simple layers**
  - e.g. rounds or subrounds that can be split into lookup tables (and xors)
- **compose these layers with pairwise annihilating parasitic functions**
  - two kinds of parasitic functions
    - encodings: small linear or non-linear bijections
    - mixing bijections: large linear bijections
  - the lookup tables (and xors) that build up each layer are obfuscated by composition with these functions
- **external encodings**
  - implement  $OUT \circ E_K \circ IN$  instead of  $E_K$  - where OUT and IN are secret bijections
  - main motivation: avoid naked initial / final rounds w/o input / output encodings that would render  $WB(E_K)$  extremely insecure

## WB obfuscation method (rough sketch)

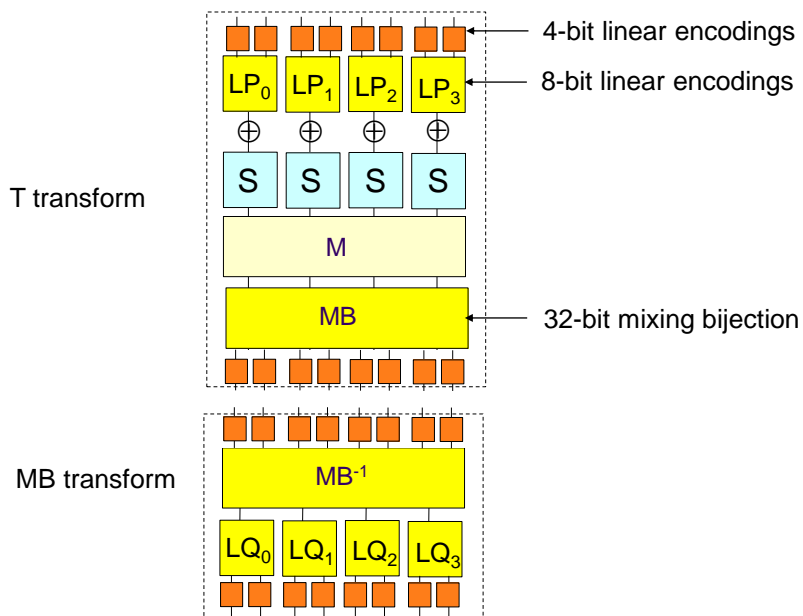




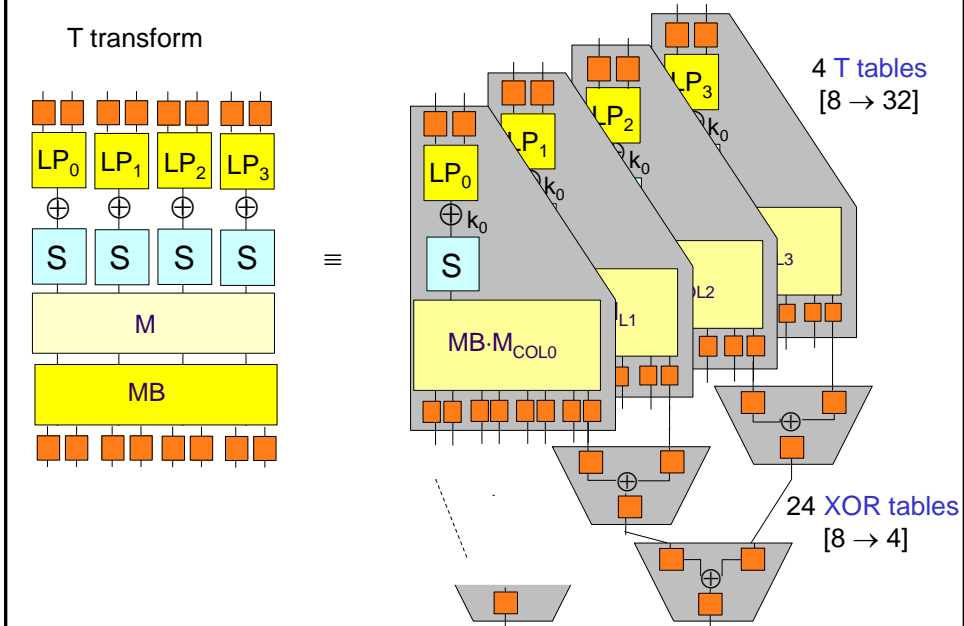
## reminder: one AES round



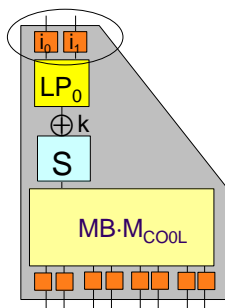
## AES-WB obfuscating one quarter round



## conversion into a network of tables (1/2)



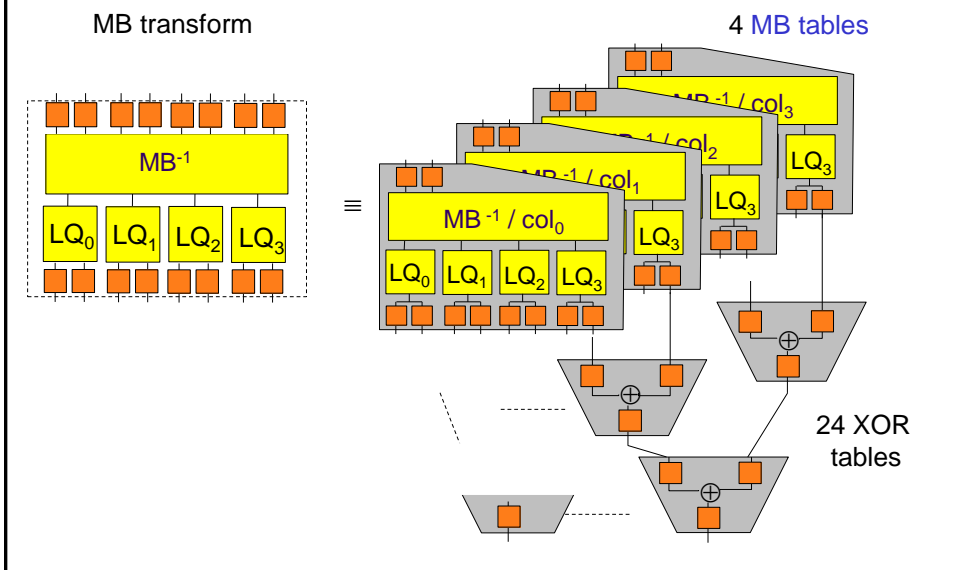
## local security of T tables



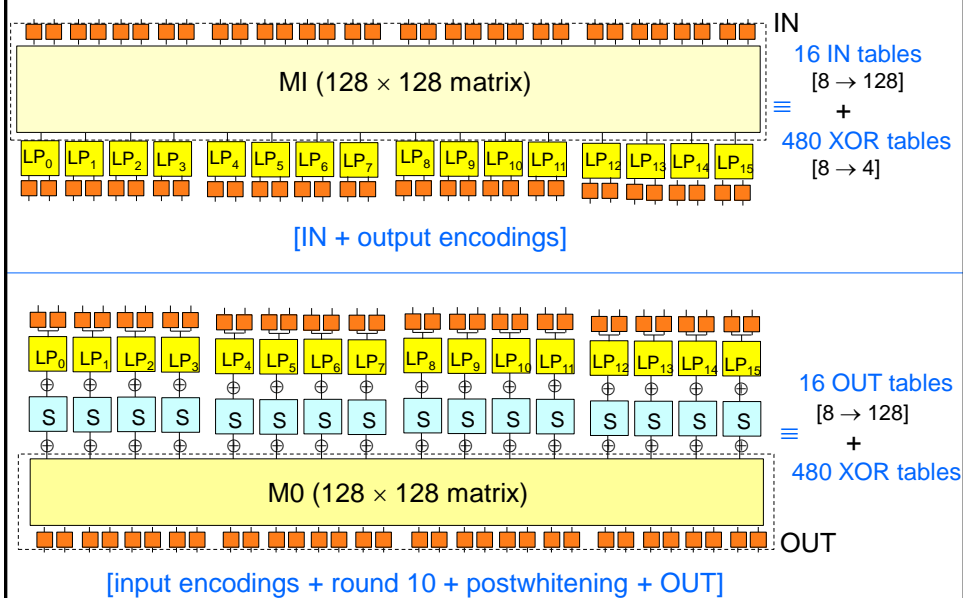
T-tables contain no information on the key byte  $k$  they embed

due to the masking effect  
of the pair of 4-bit encodings  $(i_0, i_1)$

## conversion into a network of tables (2/2)



## extra tables for external encodings



## WB-AES: summary

- $9 \times 4 \times 4 = 144$  T tables
- $9 \times 4 \times 4 = 144$  MB tables
- 16 IN tables
- 16 OUT tables
- $9 \times 4 \times 48 + 2 \times 480 = 1728$  XOR tables

total size:  
770 048 bytes

## WB implementations and their analysis

### WB implementations

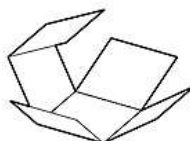
- **DES**  
[Chow et al. 02] seminal DES-WB
- **AES**  
[Chow et al. 02] seminal AES-WB  
[Bringer et al. 06] variant  
[Xiao-Lai 09] variant  
[Karroumi 10] variant

### Cryptanalysis

- [Jacob et al. 02, Link et al. 05] attacks on naked DES-WB
- [Goubin et al 07, Wyseur et al. 07] attack on DES-WB
- [Billet et al. 04] BGE attack on AES-WB
- [Michiels et al. 08] generic attack on SPN WB
- [De Mulder et al. 10] attack on Bringer et al. variant
- [De Mulder et al. 12] attack on Xiao-Lai variant
- [Lepoint et al. 13] 2 improved attacks on AES-WB  
+ attack on Karroumi's variant

## 2 cryptanalytic toolbox for WB-AES and sisters

i.e.  $WB(E_k)$  implementations based on a network of lookup tables



warming up: 2 multi-purpose tools from structural cryptanalysis



## structural cryptanalysis of SASAS [BS01]

▪ **problem:** break a generic SPN that alternates

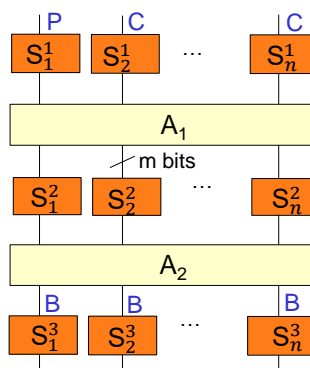
- S layers:  $n$  secret bijective  $m$ -bit S-boxes
- A layers: secret affine permutations

▪ **initial step**

- encrypt appropriate  $2^m$ -block structures
- at the input of the last S layer  
all words have a zero sum (B property)

→ last S layer up to unknown affine bijections

▪ **overall complexity:**  $T \approx n \cdot 2^{3m}$



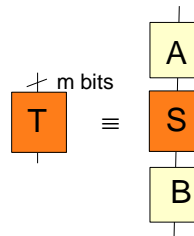
techniques for solving « subproblems » such as ASA and SAS are also introduced  
e.g. Biham's low rank detection technique for ASA, differential technique for SAS



## linear/affine equivalence algorithms [PGC98, BCBP03]

### LE and AE problems

- given: two known  $m$ -bit bijections  $S$  and  $T$
- find: two linear / affine bijections  $A$  and  $B$  if any such that  $T = B \circ S \circ A$



### solving technique: « to and fro », « needlework » ...

- partial assumptions for  $A$  values determine  $B$  on a subspace etc. ...

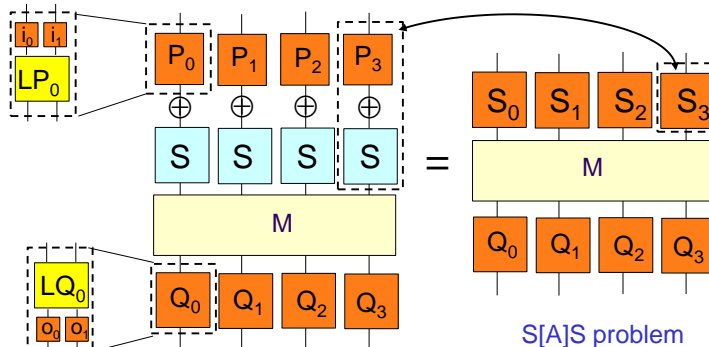
### complexity : $O(m^{3 \cdot 2^m})$ for LE, $O(m^{3 \cdot 2^{2m}})$ for AE [BCBP03]

- i.e. low complexity for S-box sizes such as  $m = 8$  or  $16$

## BGE attack on WB-AES [Billet et al. 04]

### starting point

if instead of considering isolated tables  
one considers a suitable composition of  $T$ ,  $M$  and XOR tables  
one gets an obfuscated quarter round with unknown byte encodings  $P_i, Q_i$



### retrospective remark

deriving candidate permutations  $S_i$  and  $Q_i$  is essentially a  $S[A]S$  problem!

## BGE attack – outline

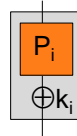
- **phase 1:** recover the « non-affine parts » of the  $P_i$  and  $Q_i$

- i.e. recover the  $Q_i$  and the  $P_i$  up to unknown affine permutations
- ~ solve the former S[A]S problem

complexity  $< 2^{30}$

- **phase 2:** fully recover the residual affine parts of the  $Q_i$  and the residual affine parts of the  $P_i$  up to unknown constants

- i.e. recover the  $Q_i$  and the  $P_i^* =$   
and reiterate this for round  $r+1$

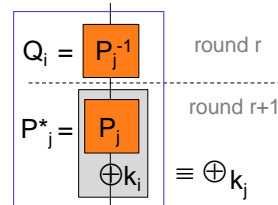


complexity  $< 2^{29}$

- **phase 3:** recover the  $k_i$  from

- the  $Q_i$  or round  $r$  that are the  $P_j^{-1}$  of round  $r+1$ :
- the  $P_j^*$  of round  $r+1$

overall complexity  $\approx 2^{30}$



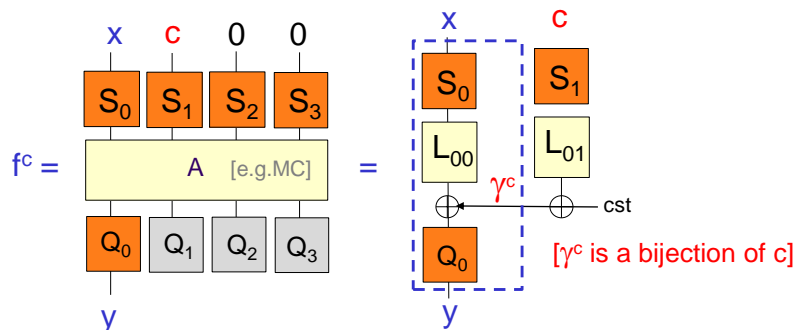
## BGE phase 1 – yet another SAS technique

- **aim:** recover the non-linear part of the  $Q_i$  in the SAS function

- **notation:** lin.part of  $A = \begin{pmatrix} L_{00} & L_{01} & L_{02} & L_{03} \\ L_{11} & L_{11} & L_{12} & L_{13} \\ L_{20} & L_{21} & L_{22} & L_{23} \\ L_{30} & L_{31} & L_{32} & L_{33} \end{pmatrix}$

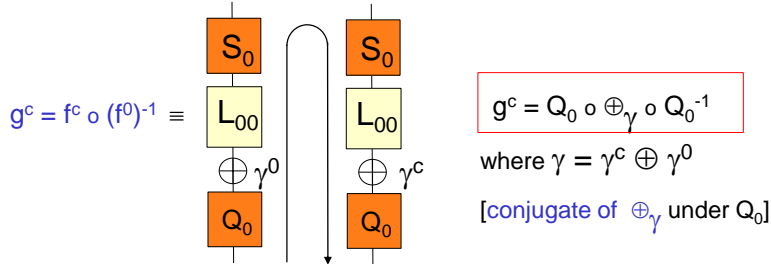
- **assumption:** all  $m \times m$  binary matrices  $L_{ij}$  are bijective [as for MC]

- we consider the  $2^m$  [e.g. 256] permutations:



## BGE phase 1- deriving a group G of permutations $g^c$

- to recover  $Q_0$ , we derive the following set G of  $2^m$  permutations  $g^c$



- $\varphi: (G = \{g^c\}, \circ) \rightarrow (\{0,1\}^m, \oplus)$   $g^c \mapsto \gamma$   
is a group isomorphism since  $g^c \circ g^{c'} = Q_0 \circ \oplus_{\gamma \oplus \gamma'} \circ Q_0^{-1}$

**claim 1:** we can efficiently recover  $\varphi$  up to an unknown linear mapping

**claim 2:** this allows to recover  $Q_0$  up to an unknown affine mapping

## BGE phase 1 - group isomorphism technique

- to construct an isomorphism  $\psi: (G, \circ) \rightarrow (\{0,1\}^m, \oplus)$  we gradually

- build a « basis »  $(g_1, \dots, g_m)$  of  $(G, \circ)$
- express each element  $g$  of  $G$  as a product of basis elements

$$g = g_1^{\varepsilon_1} \circ g_2^{\varepsilon_2} \circ \dots \circ g_m^{\varepsilon_m} \quad [\text{where } g_i^0 = \text{id}, g_i^1 = g_i]$$

- set  $\psi(g) = \varepsilon_1 e_1 \oplus \varepsilon_2 e_2 \oplus \dots \oplus \varepsilon_m e_m$   
where  $(e_1, \dots, e_m)$  denotes the canonical basis of  $\{0,1\}^m$

- $\varphi = L \circ \psi$  where  $L$  is an unknown linear mapping

- $\psi$  provides  $Q_0$  up to an unknown affine mapping  $A$  of linear part  $L$

$$\exists A \forall g \quad g(0) = Q_0 \circ A(\psi(g)) \quad - \text{this determines } Q_0 \text{ up to } A$$

- Tolhuizen's improvement [T12]**

- allows to accelerate the derivation of  $\psi$  and  $Q_0 \circ A$  by a substantial factor

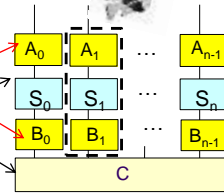


## a more generic attack [MGH08]

- in [MGH08] Michiels, Gorissen, and Hollmann  
WB implementations under the techniques of [Chow et al.]  
of a **generic class of SPN ciphers** are shown to be **vulnerable to a 3-step attack**.
- step 1**: the **group isomorphism technique** of BGE phase 1  
is shown to work - under a mild condition on the diffusion matrix  
→ one recovers and peels off the non-linear part of all encodings
- step 2**: derive the following **equivalent representation**  
of the round function with affine encodings
- step 3**: use **affine equivalence techniques**  
from [BCBP03] on rounds  $r$  and  $r+1$   
to get the  $r^{\text{th}}$  round key

unknown affine bijections

known



## improved WB-AES attacks [LRMRP13] (1/2)

- attack 1** [developed by De Mulder, Roelse, and Preneel]  
same starting point as BGE and similar overall structure, but:
    - in phase 1** Tolhuizen's speed-up [T12] of the isomorphism technique is applied  
→ complexity:  $2^{19}$  inst. of  $2^{30}$  → the subsequent phase becomes time-critical
    - in phases 2 and 3** (derivation of affine encodings and round key bytes)
      - an accelerated testing technique for determining the  $Q_i$  is introduced  
→ complexity:  $2^{22}$  inst. of  $2^{29}$
      - a faster recovery procedure for the key bytes of round  $r+1$  is also introduced
    - a phase 4** is added to tackle permutations of encoded bytes if any. It details
      - how to **reorder the round key bytes** before recovering the key
      - how to **recover the external encodings**
- the overall complexity is reduced from  $2^{30}$  to  $2^{22}$

## improved WB-AES attacks [LRMRP13] (2/2)

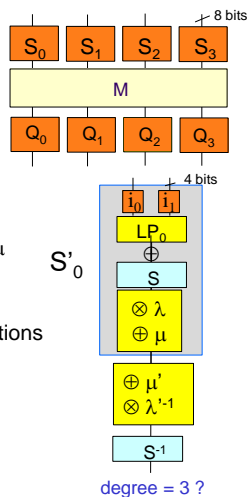
- **attack 2** [developed by Lepoint and Rivain]

same starting point as BGE:  $S[A]S$  problem  
but entirely **different structure and techniques**

- **step 1: the secret mappings  $S_i$  are recovered**

- exploit **internal collisions** on the input of [e.g.]  $Q_0$   
to determine [e.g.]  $S_0$  and  $S_1$  up to 2 unknown bytes  $\lambda$  and  $\mu$   
→ one gets  $S'_0$  - the composition of  $S_0$  with  $x \mapsto \lambda \cdot x \oplus \mu$
- algebraic testing** of the composition of  $S'_0$  with trial permutations  
→ if  $\mu' = \mu$  and  $\lambda' = \lambda$ , then the degree we get is only 3  
→ this is easy to test and provides  $\lambda$  and  $\mu$  and thus  $S_0$

- step 2: the next round bytes  $k_i$  are recovered  
the  $Q_i$  and their inverses are easy to derive from the  $S_i$   
→ a simple algebraic test then provides the next round key bytes

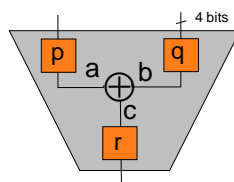


→ more simple structure + overall complexity reduced to  $\approx 2^{22}$

## another Achille's heel of WB-AES

- **XOR tables are vulnerable to SAS attacks**

- for instance to the **isomorphism technique** of [BGE04]  
as pointed out in [Wyseur 07]



- this typically provides  $p$ ,  $q$ , and  $r$   
up to an unknown 4-bit linear bijection  $L$  and 2 nibbles  $\alpha$ ,  $\beta$
- one is left with a **partly de-obfuscated AES representation**
- [to be further checked]  
this might lead to a speed-up of the former attacks

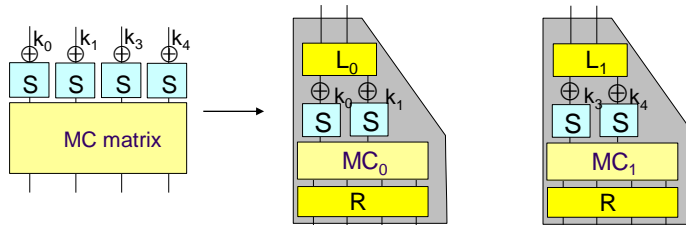
$$a' = La \oplus \alpha \quad b' = Lb \oplus \beta$$

$$c' = Lc \oplus \alpha \oplus \beta$$

## [XL09] variant and the attack of [De Mulder et al. 12]

### some features of the [XL09] scheme

- larger size:  $\approx 20$  Mbytes, exclusive use of larger linear encodings, no xor tables
- quarter rounds are reflected in pairs of 16-bit to 32-bit tables (T-tables)



- R, L inverses and ShiftRows embedded in one  $128 \times 128$  matrice per round

### some features of the attack of [MRP12]

- linear equivalence techniques partly inspired from [BCBP03] are applied to T tables
- the attack recovers the key bytes +the external encodings
- workfactor: about  $2^{32}$
- with affine encodings the scheme would remain vulnerable to the generic attack of [MGH08]



## summary on WB-AES/DES-like implementations

### networks of lookup tables seem vulnerable

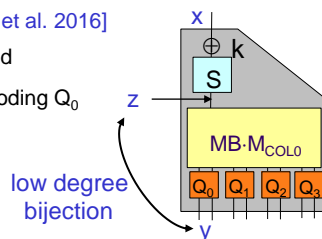
to the combined used of structural cryptanalysis techniques such as

- SAS attack methods [BS01 and internal collisions, isomorphism technique...]
- linear/affine equivalence algorithms, algebraic testing, etc.

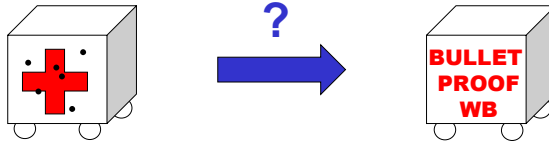
inputs to tables embedding NL components of  $E_K$  (S-boxes, etc.) seem to be a bottleneck

### w/o external encodings this vulnerability is considerably amplified

- local security is typically lost
- this could at least partly explain why standard grey box analysis (e.g. DPA) tools seems « blindly applicable » to naked public WB implementations as reported for instance in [Bos et al.; Sanfelix et al.; Sasdrich et al. 2016]
- assume for instance that a naked T-table is used
  - for many values of MB and the WB-AES encoding  $Q_0$
  - some output bits  $y_j$  are correlated
  - to some bits  $z_i$  of the « sensitive » byte  $z$



### 3 alternative approaches and perspectives



can white box crypto and security w/o obscurity be reconciliated ?

I will consider this issue for:

- **WWB**: incompressible white box
- **SWB**: strong (plaintext rec. resistant + incompressible) white box

### perspectives for Weak WB cryptography (1/2)

[ i.e. a compact description of  $E_K$ , e.g.  $K$  should be difficult to extract from  $WB(E_K)$  ]

- A. **open question** if we require that  $E_K$  be a common cipher, e.g. AES
- alternatives to networks of LUTS might potentially come from the combined use of polynomials with  $GF(2^n)$  coefficients and multivariate techniques
    - lesser constraints on number of input variables than for LUTS
    - one attempt along these lines [BCD06] was attacked in [De Mulder et al. 2010] but it would be premature to draw general conclusions

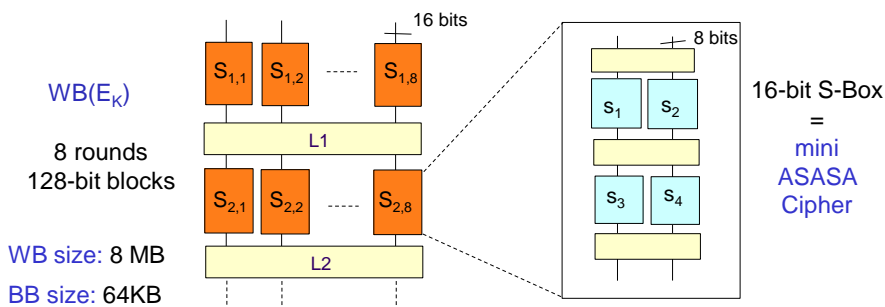
## perspectives for Weak WB cryptography (2/2)

[ i.e. a compact description of  $E_K$ , e.g.  $K$  should be difficult to extract from  $WB(E_K)$  ]

- B. seems achievable** if we relax the requirement that  $E_K$  be a common cipher **and do not require** that a compact and fast implementation of  $E_K$  still exists
- looks simple at first glance: use for instance **large random or pseudo-random S-boxes**
  - it might be worth **investigating constructions with strong security arguments**
- C. seems still achievable with some extra caution** if we relax the requirement that  $E_K$  be a common cipher **but require** that outside from the WB implementation a compact and not too slow implementation of  $E_K$  still exists
- **case study 1**: candidate memory-resistant block ciphers of [BBK14]
  - more recently, two other families of candidate memory-resistant block ciphers were proposed: SPACE and N-SPACE [BI15]

## WWB block ciphers family of [BBK14]

- **WB-ASASA approach**: use ASASA[...] S-boxes to thwart structural cryptanalysis  
for instance:



- **BB-ASASA**: a non-WB block cipher with an ASASA structure is also proposed (128-bit blocks, secret bijective 8-bit S-Boxes and 128-bit L layers)

## advances in structural cryptanalysis triggered by [BBK14]

- [Minaud, Derbez, Fouque, Karpman 2015]
    - generic algebraic attack on ASASA structure that breaks BB-ASASA
    - « differential-linear » attack on mini ASASA block ciphers, e.g.  $n=16$  bits
  - [Dinur, Dunkelman, Kranz, Leander 2015]
    - structural attacks on mini ASASA blockciphers  
(e.g.  $n = 16$  to 24 bits, generic bijective 8-bit S-boxes)
  - [Biryukov, Khovratovich 2015]
    - attacks on blockciphers with up to 9 secret layers, e.g. SASASASAS  
with sufficiently small S-boxes, using [Boura, Canteaut 2011] and other techniques
- these results represent a break-through in structural cryptanalysis
  - they invalidate many WB-ASASA instances, but not the WB approach of [BBK14]  
provided that sufficiently complex structures ASASASA[++] are used

## perspectives for SWB cryptography

$(WB(E_K), D_K)$  must be a PKE scheme,  $WB(E_K)$  must be incompressible

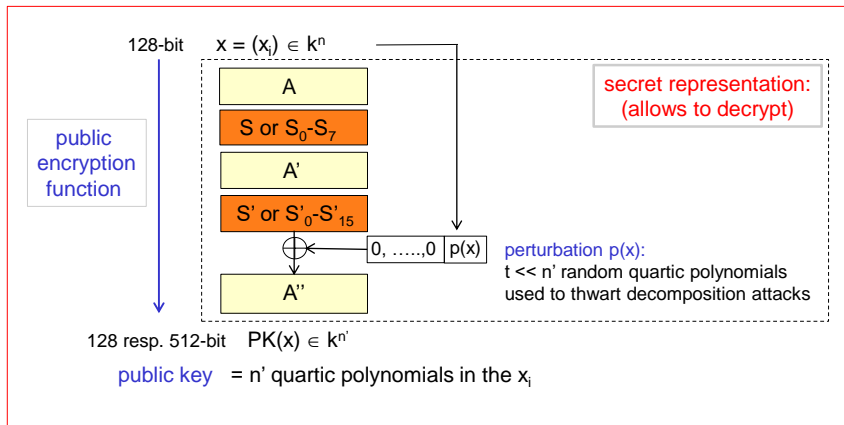
- A. **challenging open question** if we require that  $E_K$  be a common block cipher, e.g. AES
- potential direction: use of polynomials with  $GF(2^t)$  coefficients and multivariate techniques ?
  - far from reach from the current state of the art of multivariate cryptography
- B. **seems achievable** if we relax the requirement that  $E_K$  be a common block cipher
- PKE does not automatically provide a compression resistant solution
  - candidate SWB implementation [DLPR13]: one-time random blinding of an RSA exponent  $e$  into a larger equivalent exponent  $e' = e + r \cdot \varphi(N)$ . [Caveat: security is lost if  $e$  and  $d$  are not both kept secret, or if  $e$  is blinded twice, etc.]
- C. **exciting open question** if we require that  $E_K$  be based on block cipher ingredients
- this would solve a long standing challenge:  
design a public key encryption scheme with block cipher features
  - case study 2: the two asymmetric / strong WB design attempts of [BBK14]

## case study 2: public key encryption schemes of [BBK14]

- two PK encryption / strong WB schemes were proposed in [BBK14]

in both cases: ASASA structure with secret  $k$ -affine  $A$  layers, secret  $k$ -quadratic  $S$  layers

- $\chi$ -scheme:  $k = \text{GF}(2)$ ; one large S-box per  $S$  layer
- ASASA scheme with expanding S-boxes:  $k = \text{GF}(16)$ ; several S-boxes per  $S$  layer



## attacks on the PK schemes of [BBK14]

- [Minaud, Derbez, Fouque, Karpman 2015]

key recovery attack on the  $\chi$ -scheme

- low complexity  $\approx 2^{39}$
- an adaptation of the generic algebraic attack on ASASA from the same paper

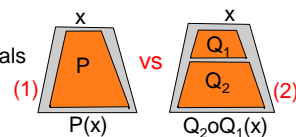
- [G., Treger, Plût 2015]

key recovery attack on the ASASA scheme with expanding S-boxes

- low complexity  $\approx$  rank computation for  $2^{26}$  matrices of size  $64 \times 96$  over  $F_{16}$
- starting point: an algebraic distinguisher between

(1) a random input expanding system  $P$  of quartic polynomials

(2) a composition of quadratic polynomials  $Q_1, Q_2$



- none of these attacks necessarily invalidates all ASASA PK schemes  
 however they teach that low diffusion and/or expanding  $S$  layers should be avoided

## conclusions

- **no overoptimism for current situation**
  - WB crypto still largely remains a subarea of **security by obscurity**
  - **can provide: some extra protection** in systems where the single alternative is essentially deploying the algorithms and secret keys « in plain » in software
  - **caution: WB should not be viewed as a « drop-in replacement »** of solutions based on the combination of **tamper-resistant modules** (e.g. smart cards, TPM) and **grey-box implementation techniques**, that are more mature
- **more optimistic view of future perspectives**
  - provided that a sufficient **open research effort** is spent on WB crypto
    - **definitional issues**, security models, links with other notions, etc.
    - **usual triptych**: candidate constructions / security arguments / cryptanalysis answers to some of the former open questions seem reachable
  - **side benefits** might include
    - extending the toolbox of **structural and algebraic** cryptanalysis (this has begun)
    - extending the toolbox of **grey-box** security techniques
    - bringing **symmetric crypto closer to asymmetric crypto**